THE FUNCTIONAL DEPENDENCE OF THE TOTAL HAZARD FROM AN AIR POLICITION INCIDENCE ON THE ENVIRONMENTAL PARAMETERS

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A general case of release to the atmosphere of a pollutant is considered. Various chemical and radioactive hazards may result from inhalation of the pollutant, deposition, resuspension, ingestion and external and internal radiation, if the pollutant is radioactive. According to the ICRP-26 recommendations, the total risk summed over all pathways and tissues should not exceed a certain limit.

The total dose received (Dr) is a monotonous function of the source strength. However, in general, it does not vary monotonously with some of the physical processes involved. For instance, an increase in the deposition velocity results in larger deposition along the cloud's trajectory, which reduces the amount of activity reaching downwind distance X and thereby the cloud and direct inhalation dose. On the other hand, though less activity reaches X, more activity is deposited there (for higher Vd), increasing the doses from external radiation from deposited material, from inhalation of resuspension and from ingestion. Similarly, it will be shown that, taking into account previous deposition, D_{t} at X does not always increase with decreasing wind speed or with decreasing source height.

In the process of hazards evaluation one usually tends to estimate the processes involved conservatively so as to maximize the computed doses. The worst cases (which give maximum Dr) are not always easily identified (1). The present work helps to identify them. In addition a model of the total dose is presented and its variations are studied as a function of wind speed-u, deposition velocity-V_d and source height-h. The value of each parameter giving the highest total dose as a function of the model's parameters is determined.

MODEL.

This preliminary study is based on the simplest and widely used assumptions of an instantaneous, elevated point source; deposition is considered using the Chamberlain model through Van Der Hoven's curves (2). The external dose is calculated with the semi-infinite homogeneous approximation.

THE TOTAL DOSE EQUATION

$$\begin{split} \mathbf{D_{t}} &= & \left(\frac{c\overline{\mathbf{u}}}{Q}\right) \, \frac{Q_{o}}{\overline{\mathbf{u}}} \quad \left(\frac{Q_{x}}{Q_{o}}\right) \, \left(\mathbf{F_{c}} \, + \, \mathbf{F_{s}^{D}} \mathbf{V_{d}} \, + \, \mathbf{B_{r}} \mathbf{S_{B}^{D}} \left(1 \, + \, \frac{\mathbf{F_{r}}}{\lambda} \, \, \mathbf{V_{d}}\right)\right) \\ \left(\frac{c\overline{\mathbf{u}}}{Q}\right) \, - \, \text{normalized concentration at distance X.} \end{split}$$

$$\begin{array}{l} Q_{o} & -\text{ source strength.} \\ \left(\frac{Q_{x}}{Q_{o}}\right) & = \exp\left(-\sqrt{\frac{2}{\pi}} \frac{V_{d}}{\tilde{u}} \int_{0}^{x} \frac{\exp\left(-h^{2}/2\sigma_{z}^{2}\right)}{\sigma_{z}} d\zeta\right) \end{array}$$

 $\sigma_z\text{-clouds}$ vertical standard deviation. F_c = 0.25 E, E- γ energy, $F_s^D \equiv \frac{F_s}{\lambda} + \sum \omega_i F_i^i$, $F_s\text{-ratio}$ of the γ dose from deposition to the surface contamination. $\lambda\text{-decay}$ constant, $\omega_i\text{-ICRP-26}^i\text{s}$ weights, $F_1^i\text{-ratio}$ of the dose from ingestion + drinking to the surface contamination, $B_r\text{-breathing}$ rate, $S_B^D \equiv \sum \omega_i S_B^i$, $S_B^i \equiv$ specific inhalation dose for to organ i, $F_r\text{-resuspension}$ factor.

The dose equation was derived twice with respect to $\overline{\textbf{u}}$, \textbf{V}_d and h. Extremum and inflection points are identified, which enables to study the behavior of \textbf{D}_t .

RESULTS

METHOD

A. Variation of $\rm D_{T}$ as a function of $\rm V_{d}\colon$ Fig. 1 gives the results for X < $\rm X_{O}$

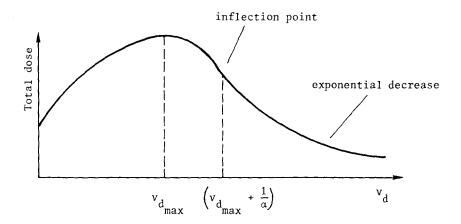


Fig. 1. Schematic representation of the variation of the total dose as function of the deposition velocity.

$$\begin{aligned} & V_{d_{\text{max}}} = \frac{1}{\alpha} - \frac{1}{\alpha_0} , \quad \alpha = \sqrt{\frac{2}{\pi}} \frac{1}{\overline{u}} \int_0^x \frac{\exp\left(\cdot h^2/2\sigma_z^2\right)}{\sigma_z} \, d\zeta \\ & \alpha_0 = \frac{B_r S_B^D \frac{F_r}{\lambda} + F_S^D}{F_c + B_r S_B^D} = \alpha \bigg|_{X=X_0} . \end{aligned}$$

For X > X₀ D_t decreases monotonously with increasing V_d. Example: X = 9 km, stability D, \overline{u} = 5 m/s, h = 10 m \rightarrow α = 24 (from the Van Der Hoven curves). A very simple case: No γ energy \rightarrow F_C = F_S = 0, no ingestion or drinking dose, only inhalation dose - F_I¹ = 0. Taking F_r = 10⁻⁴m⁻¹, T¹₂ - one week \rightarrow α ₀=87 \rightarrow V_d =3cm/s. α _{max}

B. Variation of Dt with wind speed: Defining

$$\gamma \equiv \left(\frac{2}{\pi}\right)^{\frac{1}{2}} V_d \int_0^x \frac{\exp(-h^2/2\sigma_z^2)}{\sigma_z} d\zeta$$
, we receive Fig. 2:

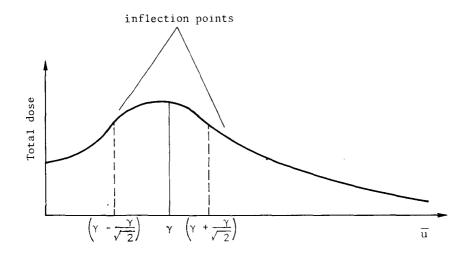


Fig. 2. Schematic representation of the variation of the total dose as a function of wind speed.

Example: The conditions are the same as above - D_{t} is maximal

$$\begin{array}{ll} \text{for } \overline{u} = \gamma = 3.6 \text{ m/s, for } V_d = 0.03 \text{ m/s.} \\ \text{C. Variation of } D_t \text{ with h: A single maximum } D_t \text{ exists when:} \\ \frac{1}{\delta \sigma_z(x)} = \int\limits_0^x \frac{\exp(-h^2/2\sigma_z^2)}{\sigma_z^3} \; \mathrm{d}\zeta \qquad [1] \qquad ; \qquad \delta \equiv \sqrt{\frac{2}{\pi}} \, \frac{V_d}{\overline{u}} \; . \end{array}$$

The numerical solution for stability D is given in graphical form in Fig. 3.

Example: same as above, for $V_d = 0.03 \text{ m/s}$, $\overline{u} = 3.6 \text{ m/s}$ $h_{\text{max}} \approx 80 \text{ m}.$

CONCLUSIONS

A. D_t does not vary monotonously as a function of V_d or \overline{u} or h. A maximum total dose exists for certain values of these variables, which is a function of the stability, X, the other parameters of the model and the properties of the pollutant.

B. The worst cases (and corresponding $D_{t_{max}}$) can be determined and used in hazards evaluation.

C. Maximum D_{t} cannot exist simultaneously as a function of both $\overline{\mathbf{u}}$ and Vd.

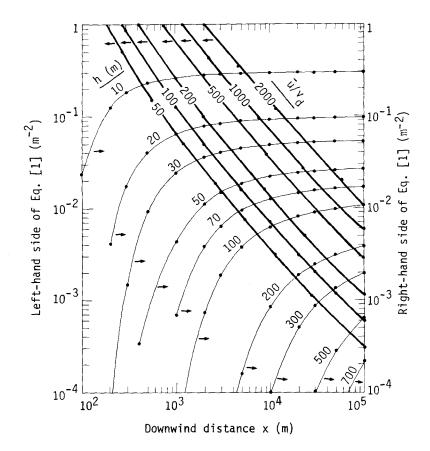


Fig. 3. Graphical solution of the equation for the height, which indicate the maximum D_t . The two sets of curves give the left and right hand sides of the equation for different \overline{u}/V_d and h (respectively), as a function of X, for stability D.

D. In this preliminary study the simplest, widely used analytical model was used. Refinements may be incorporated when more information is obtained concerning the detailed analytical form of the dose equation.

REFERENCES

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- 2. Van Der Hoven, I (1968): Ch. 5.3 in: Meteorology and atomic energy 1968, TID-24190.